SEAT No. : $\square$
[Total No. of Pages: 2

## [5931]-39

# S.E. (Informátion Technology) <br> (214445): BASICS OF COMPUTER NETWORK (2019 Pattern) (Semester - I) 

```
Time: 1 Hour]
Instructions to the candidates:
1) Answer Q1 or Q2, Q3 or Q4.
2) Neat diagrams must be drawn wherever necessary.
3) Figuresció the right indicate full marks.
4) Assume suitable data, if necessary.
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Q1) a) Draw ISO/OSI model and explain functions of following layers:
i) Physical
ii) Data link
iii) Network layer
b) List and explain different types of Transmission Impairment.
c) Encode the following biaíry stream [101000110] into NRZL, NRZ-I.

Q2) a) Explain different addressing schemes in TCP/IP model.
b) What is mean by Delta Modulation? Explain Distortion in Delta Modulation.
c) Write a short note on Bus topology \& Star topology.

Q3) a) What is CRC? Generate the CRC code of message 1101011101. Given generator Polynomial $g(x)=x^{3}+x^{2}+1$.
b) Explain the working mechanismof
i) Go back-N ARQ
ii) Selective Repeat ARQ
c) What is hamming code? Also find Hamming Code word for following Data word 1001011 using even parity.

## OR

Q4) a) Explain with example fixed-size framing and variable size framing. [5]
b) Explain Two dimensional parity check.
c) Discuss the concept of redundancy in error detection and correction.[5]

# S.E. (Information Technology) BASICS OF CQMPUTER NETWORK (2019 Pattern) (Semester - III) (214445) 

## Time : $2^{1 ⁄ 2}$ Hours]

[Max. Marks : 70

## Instructions to the candidates.

1) Attempt Q1 or Q2, Q3 or Q4, Q5 or Q6, Q7 or Q8.
2) Neat aiagrams must be drawn wherever necessary.
3) Figures to the right side indicate full marks.
4) Use of Calcalator is allowed.
5) Assume Suitable data if necessary.

Q1) a) Define controlled access and list three protocols in this category. Explain any two protocols.
b) Write short note with reference to MAC layer and Physical Layer on:[9] i) Standard Ethernet
ii) Fast Ethernet
iii) Gigabit Ethernet

Q2) a) Write short note on:
i) IEEE 802.3 Standard
ii) IEEE 802.4 Standard
b) Describe different channelization techniques mentioned below inghort:[9] i) FDMA
ii) TDMA
iii) CDMA

Q3) a) Explain the operation of NAT with suitable example.
b) Compare and Contrast Subnetting, Supernetting. An organization is granted the block 172.16.0.0/18. Design the network and Find how many subnets? Find how many hosts per subnet? What are the valid subnets? What is the broadcast address for last subnet? What is the range of valid hosts in last subnet?

Q4) a) What is the need of IPv6? Explain different types of IPv6 address.
b) Explain following terms:
i) Private IPv4 address
ii) Public IPv4 addresses
iii) NAT

Q5) a) Compare and contrast distance vector routing with link state routing. List out and explain key features of EIGRP that makes it superior to OSPFF.
b) What is routing? List out and explain different metrics used in various routing protocols.

## OR

Q6) a) Compare and Contrast Intra Domain and Inter Domain Routing Protocols. List out and explain key features of OSPF that makes it superior to RIP.[9]
b) What is BGP? How it avoids count to infinity problem? Explain the difference between internal BGP andexternal BGP.

Q7) a) Explain TCP with its header format.
b) What is a Socket? Explain various socket primitives used in client-server interaction with neat diagnåm for a stream socket.

Q8) a) What is silly window syndrome? List different solutions to overcome it. Explain one solution at sender side and receiver side each.
b) What do you mean by congestion control in transport ayer? What are the different methods to alleviate it?

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[Total No. of Pages : 2

# [59317-38 <br> S.E. (Information Technology) OBJECT ORIENTED PROGRAMMING (2019 Rattera) (Semester - I) (214444) 

Time: 1 Hour]
[Max. Marks : 30
Instructions to the candidates

1) Answer Q. 1 or Q.2and Q. 3 or Q.4.
2) Neat diogram must be drawn whereve necessary.
3) Fighres to the right side indicate full marks.
4) Assume suitable data, if necessary.

Q1) a) Differentiate between object oriented programming and procedural oriented programming.
b) Model a real-world scenario vehicle elass using object oriented paradigm.
c) Write a short notes on:
i) Data Abstraction
ii) Inheritance

Q2) a) Describe the characteristres of object oriented programming.
b) Write a short notes on:
i) Polymorphism
ii) Data Encapsulation
c) What are the limitations of procedural oriented programming?

Q3) a) Elaborate any two uses of 'this' keyword in object oriented programming.
b) How is method overloading achieved in object orliented programming? Explain with an example.
c) Identify classes, objects, and methods for adding two complex numbers.

Q4) a) Write a program demonstrating passing an object as a parameter to a method.
b) What are the characteristics of static variables and methods? Explain with an example.
c) Design a class studento with suitable instance variables and methods. Create the database of the students and display the records using an array of objects.

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$\square$

# S.E. (Information Technology) OBJECT ORIENTED PROGRAMMING (2019 Pattern) (Semester - III) (214444) 

## Time : 2½ Hours]

[Max. Marks : 70

## Instructions to the candidates:

1) Answen Q. 1 or Q.2, Q. 3 or Q.4, Q. 5 or Q.6, Q. 7 or Q. 8
2) Neat diagrams must be drawn wherever necessary.
3) Figurest to the right side indicate full marks.
4) Assumesuitable data if necessary.

Q1) a) What is Constructor? What are the characteristics of the Constructor? Explain Constructor Overloading with, an example?
b) Write a short note on :
i) Garbage collection in Java
ii) Destructor in C++

Q2) a) Design a class 'Complex' with data members for real and imaginary part. Provide default and Parameterized constructors. Write a program, 0 in JAVA to perform a Subtraction of two complex numbers.
b) Discuss with example Dyamic initialization of object in Java.

Q3) a) Define Inheritance. What are the types of Inheritance? How.can you inherit a class in avva?
b) What is polymorphism? Explain compile time and ryintime polymorphism.

## OR

Q4) a) Differentiate between method overriding and methodoverloading. Explain method overriding concept with an example.
b) What is interface in java? How to declare an saterface, write a syntax? Can we achieve multiple inheritance by using interface? Justify with an example.

Q5) a) What is an exception? Explain thefollowing terms with respect to exception handling:
i) try
ii) catch
iii) throw
iv) finally
b) Write a genericmethed to count the number of elements in a collection that have a specificproperties like odd integers, prime numbers and palindrome.

Q6) a) ExpainArray List class with an example.
b) Write a jata program to accept and display the monfh number. Throw numberformat exception if improper month number is entered.

Q7) a) Explain FileinputStream class. Write any four methods of File Input stream Clạss with their syntax.
b) Explain following File operations Using File class :
i) Create a File
ii) Read from a File
iii) Write to a File
iv) Close a File

Q8) a) Write a short note on.
i) Iterator
ii) Singleton
b) Implement a progranh for maintaining a database of student records using Files. Student ha§Student-id, name, Roll_no, Class,marks and address. Display the data for few students.
i) Create Database
ii) Display Database
iii) Delete Records
iv) Update Record
v) Search Record

## 

[Max. Marks: 30

1) All questions are compulsory.
2) Figures to the right indicates full marks.
3) Draw well labeled diagram wherever necessary.

Q1) a) Explainfôllowing Data Structures with examples foreach.
i) Linear \& Non-linear
ii) Persistent \& Epheneral
b) Discuss with examples time complexity \& space complexity of an algorithm.
c) $\ltimes$ Enlist differences between Data \& Data Object.

Q2) a) In a matrix of order $5 \times 5$, having base address 6500 , for storing characters, compute the address of element of stored at $4^{\text {th }}$ row and $3^{\text {rd }}$ column. (Say if the array is alpha [5][5], then find address of alpha [4][3]). Use column-major method.
b) Discuss how frequency count is used to study time complexity.
c) Write Sudd code to add ane element at near end in singly circular list [ $[3]$

Q3) a) Enlist \& Explain charactertics of sorting algorithms.
b) Discuss with examples Quick sort \& Merge sort algorithms.
c) Explain with example difference between linear search \& binary search. [3]

OR
Q4) a) Demonstrate how Quick sort is performed following set of nos $50,70,45,68,30,90,20,79$
b) Explain time complexitier of following sorting algorithms.
i) Insertion sort
ii) Shellsort
c) Write sudo code for fibonacci search.

Total No. of Questions: 8]
P652

SEAT No. : $\square$
[Total No. of Pages: 4

# [5869]-281 <br> S.E. (Information Technology) DISGRETE MATHEMATICS (2019 Pattern) (Semester - III) 

## Time : $2^{1 ⁄ 2} 2$ Hours]

[Max. Marks : 70
Instructions to the candidates :

1) Answer Q. 1 or Q.2, Q. 3 or $Q .4, Q .5$ or $Q .6, Q .7$ or $Q .8$.
2) Figures to the right indicate full marks.
3) Draw neat diagrams wherever necessary.
4) Use of scientific calculators is allowed.
5) Assume suitable data if necessary.

Q1) a) What are various operations on Graph? Explain it in detail?
b) Find the maximum flow in the given network.

c) Find the shortest path using Dijikstra's algorithm.


OR

Q2) a) Let 'G' be a connected planar graphowith 20 vertices and the degree of each vertex is 3 . Find the number of edges and regions in the graph. [6]
b) Explain the following types of graphs with the help of examples :
i) Bipartite Graph
ii) Complete Graph
iii) Regular Graph
iv) Spanning Subgraph
c) Find under what conditions Km , n the complete bipartite graph will have an Eulerian circuit.

Q3) a) Suppose that the relation $R$ on a set is represented by the matrix $M_{R}$. Is R reflexive, symmetric, and/or anti-symmetric?
[6]

b) Find the homogeneous solution for the recurrence relation
$\mathrm{A}_{n}-6 a_{n-1}-11 a_{n-2}+6 a_{n-3}$ with $a_{0}=2, a_{1}^{\circ}=5, a_{2}=15$
c) Let $f(x)=x+2, g(x)=x-2, h(x)=3 x$ for $x \in \mathrm{R}$ where R is the set of real numbers Find i) gof ii) fog iii)fof iv) hog v) gog.

Q4) a) Find Relation Matrix,
[6]
i) If $\mathrm{A}=\{1,2,3,4,5,8\}$ and a R b iff a divides b for $\mathrm{a}, \mathrm{b} \in \mathrm{A}$.
ii) $\mathrm{R}=\{(a, b) / a<b\}$ for $\mathrm{a}, \mathrm{b} \varepsilon \mathrm{A}$.
b) $\quad$ Let $\mathrm{A}=\{1,2,3,4\}, \overrightarrow{\mathrm{B}}=\{\mathrm{a}, \mathrm{b}\}$, and $\mathrm{R}=\{(1, a),(2, a),(3, a),(4, a)\}$, $\mathrm{S}=\left\{(4, a),\left(4, b_{b}\right)(3, a),(3, b)\right\}$

Find
i) $\mathrm{A} \times \mathrm{B}$
ii) $\sim R$
iii) $\sim S$
iv) $\sim R \cup \sim S$
c) Describe :
i) Identity function
ii) Composite function
iii) Inverse function

Q5) a) Find the prime factorization of each of the following integer.
i) 6647
,ii) 45500
iii) 10!
b) Find integers $p$ and $q$ such that $51 p+36 q=3$ using
c) Find the values of the following using modular arithmetic.
i) $77 \bmod 9$
ii) 3110 mod 13

Q6) a) Solve the following using Fermat's Little theorem.
i) $7 \widehat{6} 9 \bmod 2$
ii) $\quad \mathbf{2 1 0 1} \bmod 13$
b) Find Eulertotient Function of the following numbers.
i) 75 ?
ii) 5488
iii) $8 ?$
c) Compute GCD of the following using Euclidean algorithm.
i) $\operatorname{GCD}(831,366)$
(ii) $\operatorname{GCD}(2222,1234)$

Q7) a) Consider the $(2,6)$ encoding funetion e. $\mathrm{e}(00)=100000$, $e(10)=101010$
$\mathrm{e}(01)=001110, \mathrm{e}(11)=101001$
Find minimum distance of e.
How many errors will e detect?
b) Let $\mathrm{R}=\left\{0^{\circ}, 60^{\circ}, 120^{\circ}, 180^{\circ}, 240^{\circ}, 300^{\circ}\right\}$ and $*=$ binary operation, so that $\mathrm{a} * \mathrm{~b}$ is overall anguladrotation corresponding to successive rotations by a and then by b. Show that ( $\mathrm{R},{ }^{*}$ ) is a Group.
c) Prove that the following table on relation of elements of set
$\mathrm{G}=\{0,1,2,3,4,5\}$ multiplication $\bmod 6$ is not a group.

|  | 0 | 1 | 2 | 3 | 4 | 5 |
| :--- | :--- | :--- | :--- | :---: | :---: | :---: |
| 0 | 0 | 1 | 2 | 3 | 4 | 5 |
| 1 | 1 | 2 | 3 | 4 | 5 | 0 |
| 2 | 2 | 3 | 4 | 5 | 0 | 1 |
| 3 | 3 | 4 | 5 | 0 | 1 | 2 |
| 4 | 4 | 5 | 0 | 1 | 2 | 0 |
| 5 | 5 | 0 | 1 | 2 | 3 | 4 |

## OR

Q8) a) Determine whether description of* is a valid definition of a binary operation on the set.
i) On $\mathrm{R}, \mathrm{a} * \mathrm{~b}=\mathrm{ab}$ (ordinary multiplication)
ii) On $\mathrm{Z}+, \mathrm{a}^{*} \mathrm{~b}=\mathrm{a} / \mathrm{b}$
iii) On Z, a* $b=a b$
iv) On $Z+, a * b=a-b$
v) $\operatorname{On} \mathbb{Z}, a^{*} b=2 a+b$
vi) OnR, $a * b=a b / 3$
b) $\mathrm{S}=\{1,2,3,6,12\}$, where $\mathrm{a} * \mathrm{~b}$ is defined as LCM (a, be).

Determine whether it is an Abelian Group or not.
c) Define Ring.
$\square$
[Total No. of Pages : 4

# S.E.(TT) <br> DISCRETE MATHEMATICS <br> (2019 Pattern)(Semester-III) (214441) 

Time: $\mathbf{2 ¹}^{1 ⁄ 2}$ Hours]
[Max. Marks: 70
Instructions to the candidates:

1) Answer Q.1,or Q2, Q3or Q4, Q5 or Q6, Q7 or Q8.
2) Figures to the right indicate full marks.

Q1) a) Find the Shortest Path algorithm using Dijikstra's Shoftest path algorithm.
b) Construct an optimal tree for the weights 3, 4, 5, 6, 12 Find the weight of the optimal tree.
c) Find the maximum flow forthe following transport network.

OR

Q2) a) Define Following with examples:
i) rooted tree
ii) Spanning tree
iii) Binary Tree
b) Use nearest Neighbourhood method to solve Travelling Salesman problem.

c) Explain Hamiltonian and Euler path and circuits with'example.

Q3) a) $X \in\{2,3,6,12,24,36\}$ and $x<=y$ iff $x$ divides $y$. Find
i) Maximal Element
ii) Minimal Element
iii) Draw the graph and its equivalent hasse diagram for divisibility on the set: $\{2,3,6,12,24,36\}$.
b) What are the ordered pairsin the relation R represented by the directed graph shown in below Fígares?

c) Let functions $f$ and $g$ be defined by

$$
f(\mathrm{X})=2 \mathrm{X}+1, \mathrm{~g}(\mathrm{X})=\mathrm{X}^{2}-2
$$

Find
i) gof (4) and fog (4)
ii) gof $(a+2)$ and fog $(a+2)$
iii) fog (5)
iv) gof $(a+3)$
v) $\operatorname{gof}(a+4)$

Q4) a) What is the reflexive closure of the relation $R=\{(a, b) \mid a<b\}$ on the set of integers and symmetric closure of the relation $R=\{(a, b) \mid a>b\}$ on the set of positive integers?
b) Determine whether the relation§for the directed graphs shown in Figure are reflexive, symmetric, antisymmetric, and/or transitive.

c) Let $X \Rightarrow\{a, b, c)$. Define $f: X->X$ such that $f=\{(a, b),(b, a),(c, c)\}$ Find 0
i)
ii) of
iii) $)^{\circ} \mathrm{fof}^{-1}$

Q5) a) Solve the congruence $8 x=13 \bmod 29$
b) For each pair of integer a and $b$, find integers $q$ and $r$ such that $\mathrm{a}=\mathrm{bq}+\mathrm{r}$ such that $0<=\mathrm{r}<\mathrm{b}$, where a is dividend, b is divisor, q is quotient and $r$ is remainder.
i) $\mathrm{a}=-381$ and $\mathrm{b}=14$
ii) $a=-433$ and $b=-17$
c) Find all positive divisors of
i) $256=28$
ii) $392=23.72$

## OR

Q6) a) Which of the following congruence is true? Justify the answer.
i) $446 \equiv 278(\bmod 7)$
ii) $793 \equiv 682$ (mod9)
iii) $445 \equiv 536(\bmod 18)$
b) Compute GCD of the following using Euclidian algorithm.
i) $\operatorname{GCD}(2071,206)$
ii) GCD $(1276,244)$
c) Using Chinese Remainder Theorem, find the valoe of P using following data.
$\mathrm{p}=2 \bmod 3$
$\mathrm{p}=2 \bmod 5$
$\mathrm{p}=3 \bmod 7$

Q7) a) Let $\mathrm{R}=\{0 \mathrm{o}, 45 \mathrm{o}, 90 \mathrm{o}, 135 \mathrm{o}, 180 \mathrm{o}, 2250,270 \mathrm{o}, 315 \mathrm{o}\}$ and $*=$ binary operation, so that $\mathrm{a} * \mathrm{~b}$ is overallangular rotation corresponding to successive rotations by a and then by b. Show that ( $\mathrm{R},{ }^{*}$ ) is a Group.
b) Let l be the set of all integers.For each of the following determine whether *is an commutative operation or not:
i) $\quad a * b=\max (a, b)$
ii) $a * b=\min (a+2, b)$
iii) $a * b=2 a-2 b$
iv) $a * b=m$ in $(2 a-b, 2 b-a)$
v) $a * b=\operatorname{LCM}(a, b)$
vi) $a * b=a / b$
vii) $\mathrm{a} * \mathrm{~b}=$ power $(\mathrm{a}, \mathrm{b})$
viii) $a * b=a 2+2 b+a b$

OR
Q8) a) Show that set $G$ of all numbers of the form $a+b-12, a, b \in l$ forms $a$ group under the operation addition i.e. $(a+b \sqrt{ } 2)+(c+\sqrt{ } d 2)=(a+c)+$ (bi+d) $\sqrt{ } 2$.
b) Determine whether the set together with the binary operation is a semigroup, group a monoid, orneither.
$S=\{1,2,5,10,20\}$, where $a^{*} \mathrm{~b}$ is defined as GCD $(\mathrm{a}, \mathrm{b})$
[Max. Marks: 30

1) All questions are compulsory.
2) Figures to the right indicates full marks.
3) Draw well labeled diagram wherever necessary.

Q1) a) Explainfôllowing Data Structures with examples foreach.
i) Linear \& Non-linear
ii) Persistent \& Epheneral
b) Discuss with examples time complexity \& space complexity of an algorithm.
c) $\ltimes$ Enlist differences between Data \& Data Object.

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b) Discuss how frequency count is used to study time complexity.
c) Write Sudd code to add ane element at near end in singly circular list [ $[3]$

Q3) a) Enlist \& Explain charactertics of sorting algorithms.
b) Discuss with examples Quick sort \& Merge sort algorithms.
c) Explain with example difference between linear search \& binary search. [3]

OR
Q4) a) Demonstrate how Quick sort is performed following set of nos $50,70,45,68,30,90,20,79$
b) Explain time complexitier of following sorting algorithms.
i) Insertion sort
ii) Shellsort
c) Write sudo code for fibonacci search.

